

$$\begin{aligned}
\text{frk}(P, Q) &::= \text{frk}(P, Q) \\
\iota &::= \iota \\
P\smile &::= P\smile \\
\overline{P} &::= \overline{P} \\
P\cap Q &::= P\cap Q \\
P\circ Q &::= P\circ Q \\
0 &::= \iota\cap\bar{\iota} \\
1 &::= \overline{0} \\
P\Delta Q &::= \overline{\overline{P\cap\overline{Q}}\cap\overline{P\cap Q}} \\
\delta &::= \bar{\iota} \\
P-Q &::= \overline{P\cap\overline{Q}} \\
P\cup Q &::= \overline{\overline{P-Q}}
\end{aligned}$$

\emptyset	\equiv	0
$\mathbf{1}$	\equiv	1
$\text{rA}(P)$	\equiv	$P \circ \mathbf{1}$
$\text{lA}(P)$	\equiv	$\mathbf{1} \circ P$
$\text{diag}(P)$	\equiv	$P \cap \iota$
$\text{mult}(P)$	\equiv	$P \cap P \circ \delta$
$\text{dom}(P)$	\equiv	$\text{diag}(\text{rA}(P))$
$\text{img}(P)$	\equiv	$\text{diag}(\text{lA}(P))$
$\text{bros}(P, Q)$	\equiv	$P \overset{\sim}{\circ} Q$
$\text{bros}(P)$	\equiv	$\text{bros}(P, P)$
$\text{sibs}(P, Q)$	\equiv	$P \circ Q \overset{\sim}{}$
$\text{tot}(P)$	\equiv	$P \Delta (\iota - \text{rA}(P))$
$P \dagger Q$	\equiv	$\overline{P \circ Q}$
$\text{rR}(P, Q)$	\equiv	$\overline{\text{bros}(Q, \overline{P})}$
$\text{lR}(P, Q)$	\equiv	$\overline{\text{sibs}(\overline{P}, Q)}$
$\text{syq}(P, Q)$	\equiv	$\text{rR}(Q, P) \cap \text{rR}(\overline{Q}, \overline{P})$
$\text{noy}(P)$	\equiv	$\text{syq}(P, P)$
$\text{qNodes}(P)$	\equiv	$P \cup P \overset{\sim}{}$
$\text{nodes}(P)$	\equiv	$\text{dom}(\text{qNodes}(P))$
$\text{arcs}(P)$	\equiv	$P - \iota$
$\text{isolated}(P)$	\equiv	$\text{nodes}(P) - \text{nodes}(P - \iota)$
$\cap(\emptyset)$	\equiv	$\mathbf{1}$
$\cap([P])$	\equiv	P
$\cap([P, Q R])$	\equiv	$\cap([P \cap Q R])$
$\circ(\emptyset)$	\equiv	ι
$\circ([P])$	\equiv	P
$\circ([P, Q R])$	\equiv	$\circ([P \circ Q R])$
$-([P])$	\equiv	P
$-([P, Q R])$	\equiv	$-([P - Q R])$
$\cup(\emptyset)$	\equiv	\emptyset
$\cup([P Q])$	\equiv	$\overline{-(\overline{P} Q)}$
$\text{sibs}([P])$	\equiv	$\text{sibs}(P, P)$
$\text{sibs}([P, Q])$	\equiv	$\text{sibs}(P, Q)$
$\text{sibs}([P, Q, R S])$	\equiv	$\text{sibs}(P, Q) \cap \text{sibs}([R S])$

$P \subseteq Q$	\leftrightarrow	$\emptyset_{-}(P, Q)$
$P \supseteq Q$	\leftrightarrow	$Q \subseteq P$
$\text{Disj}(P, Q)$	\leftrightarrow	$\emptyset_{\cap}(P, Q)$
$\text{Tot}(P)$	\leftrightarrow	$\mathbf{1}_{\text{rA}}(P)$
$\text{RAbs}(P)$	\leftrightarrow	$\text{is_rA}(P)$
$\text{LAbs}(P)$	\leftrightarrow	$\text{is_lA}(P)$
$\text{Coll}(P)$	\leftrightarrow	$\text{is_diag}(P)$
$\text{RUniq}(P)$	\leftrightarrow	$\emptyset_{\text{mult}}(P)$
$\text{LUniq}(P)$	\leftrightarrow	$\text{Coll}(\text{sibs}(P, P))$
$\text{RUniq}(P, Q)$	\leftrightarrow	$\text{Disj}(\text{mult}(Q), \text{rA}(P))$
$\text{LUniq}(P, Q)$	\leftrightarrow	$\text{RUniq}(P, Q^{\sim})$
$\text{sends}(P, Q, R)$	\leftrightarrow	$Q \circ P \subseteq \text{lA}(R)$
$\text{isSurj}(P, Q, R)$	\leftrightarrow	$Q \subseteq \text{img}(R \circ P)$
$\text{isSurj}(P, Q)$	Θ :	[$\text{Coll}(Q),$ $Q \subseteq \text{lA}(P)$]
$\text{=}(P)$	Θ :	[$\text{true}(P)$]
$\text{=}(P, Q R)$	Θ :	[$P=Q$ $ \text{=}(P R)$]
$\subseteq(P)$	Θ :	[$\text{true}(P)$]
$\subseteq(P, Q R)$	Θ :	[$P \subseteq Q$ $ \subseteq(P R)$]
$\text{nameLets}()$	Θ :	[\emptyset]
$\text{nameLets}(P, Q R)$	Θ :	[$P =: Q$ $ \text{nameLets}(R)$]
$\text{th}(P, - \text{one})$	\equiv :	P
$\text{th}(P, Q \text{incr}(R))$	\equiv :	$\text{th}(Q, Q, R) \circ P$
$\text{succth}(P, Q \text{decr}(R))$	\equiv :	$\text{th}(P, Q, R)$
$\text{tuples}(P Q)$	\equiv :	$\text{img}(P) \cap \text{dom}(\text{th}(P, P, Q)) - \text{dom}(\text{succth}(P, P, Q))$
$\text{sibs}(-, - \text{nil})$	\equiv :	$\mathbf{1}$
$\text{sibs}(P, Q \text{sng}(R))$	\equiv :	$\text{sibs}([\text{succth}(P, Q, R)])$
$\text{sibs}(P, Q \text{cons}(R, S))$	\equiv :	$\text{sibs}([\text{succth}(P, Q, R)]) \cap \text{sibs}(P, Q, S)$
$\text{cross}(P, Q)$	\equiv :	$\text{frk}(\text{frk}^{\sim}(\iota, \mathbf{1}) \circ P, \text{frk}^{\sim}(\mathbf{1}, \iota) \circ Q)$
left	\equiv :	$\text{frk}^{\sim}(\iota, \mathbf{1})$
right	\equiv :	$\text{frk}^{\sim}(\mathbf{1}, \iota)$
idUr	\equiv :	$\text{diag}(\text{bros}(\text{frk}(\mathbf{1}, \mathbf{1})))$